Purely Functional Programming Order-Insensitive Asynchronous Message Passing

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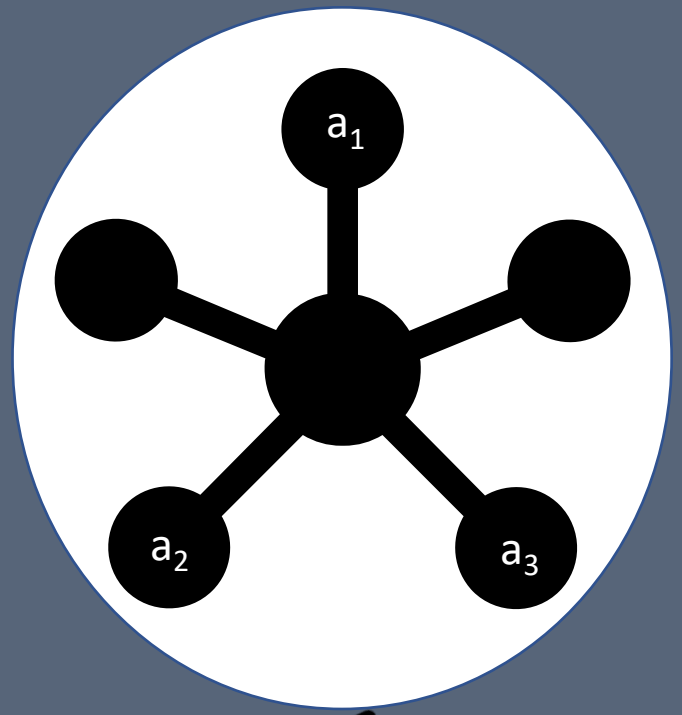
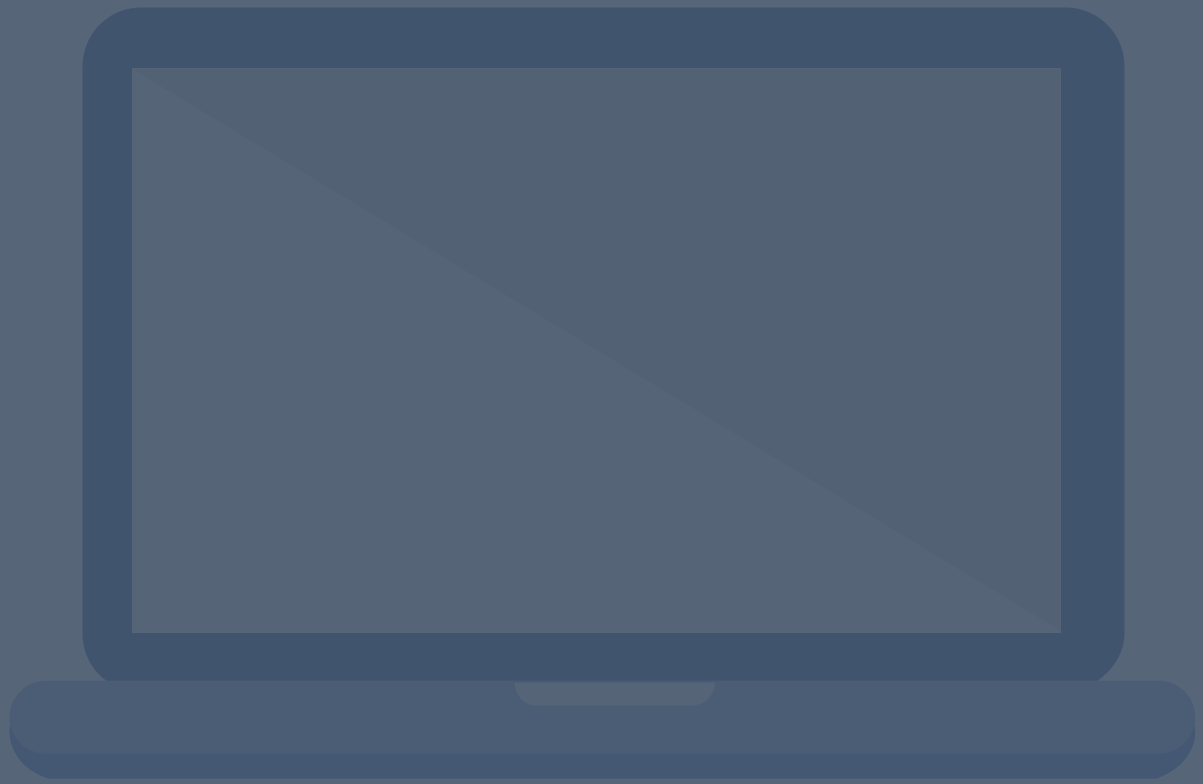
LIGHTKONE Lightweight computation for networks at the edge

INPUT | OUTPUT

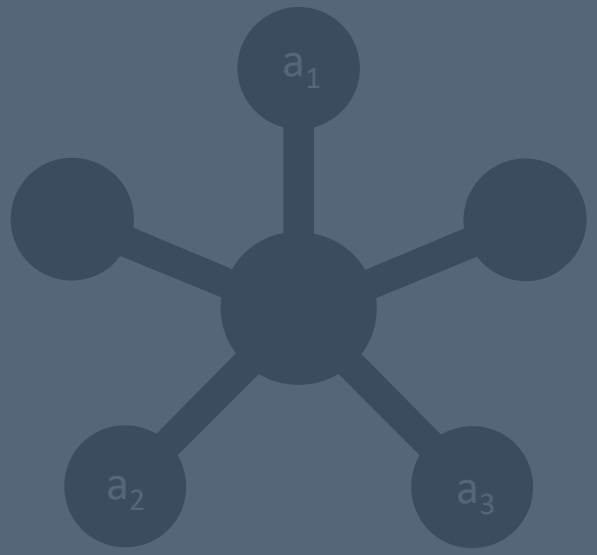
What's a distributed system?

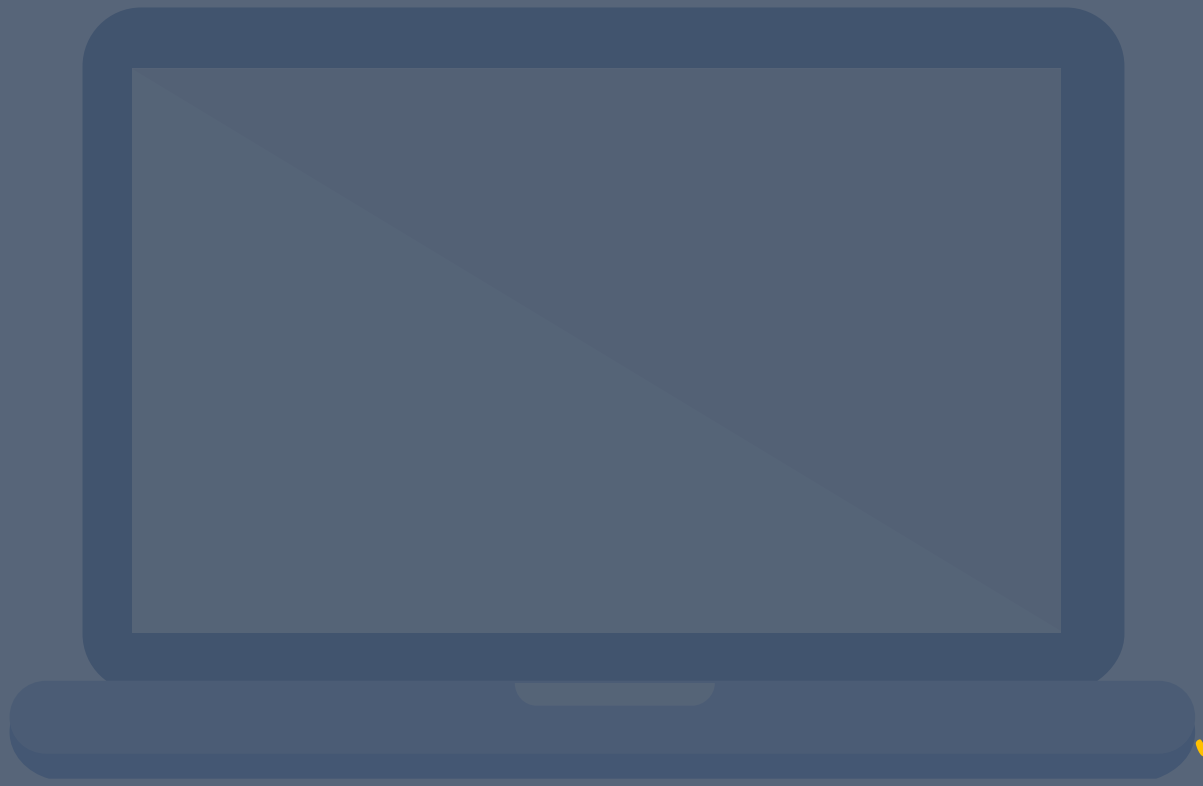


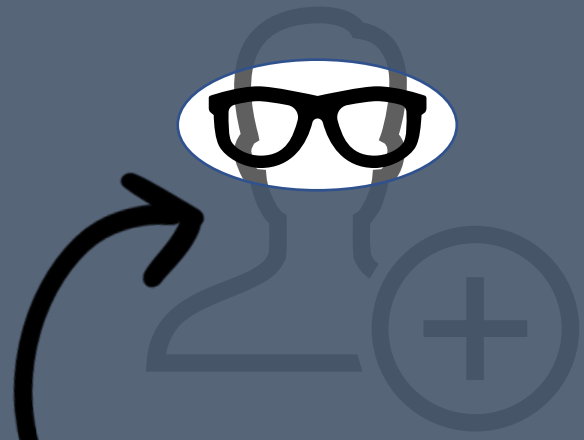


A collection of network connected nodes...

What's a distributed system?

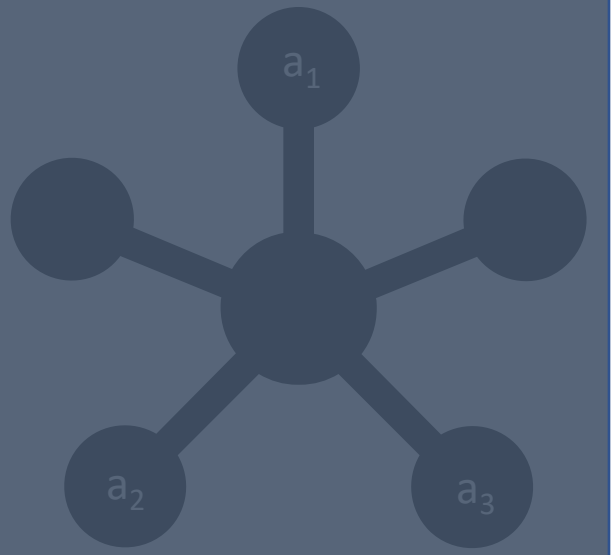


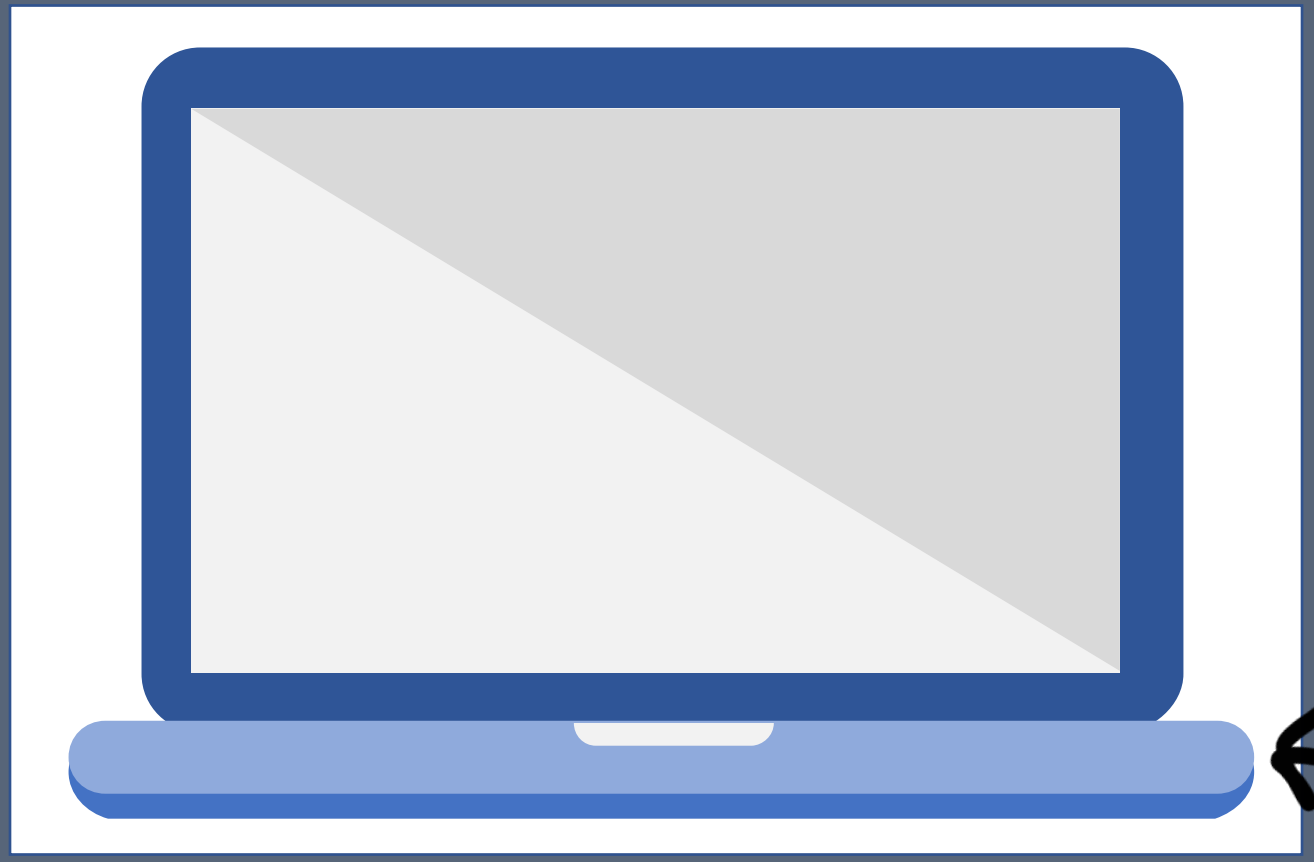




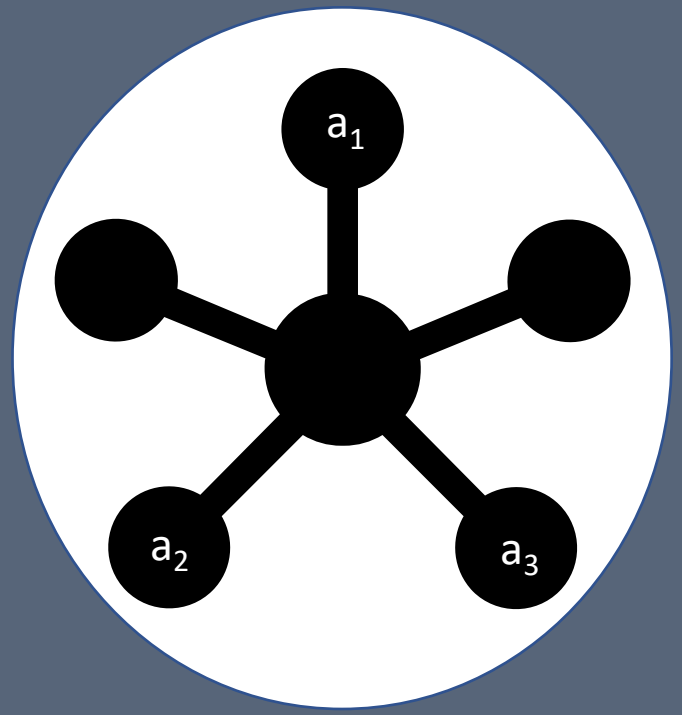
... that from a user's point of view...

What's a distributed system?



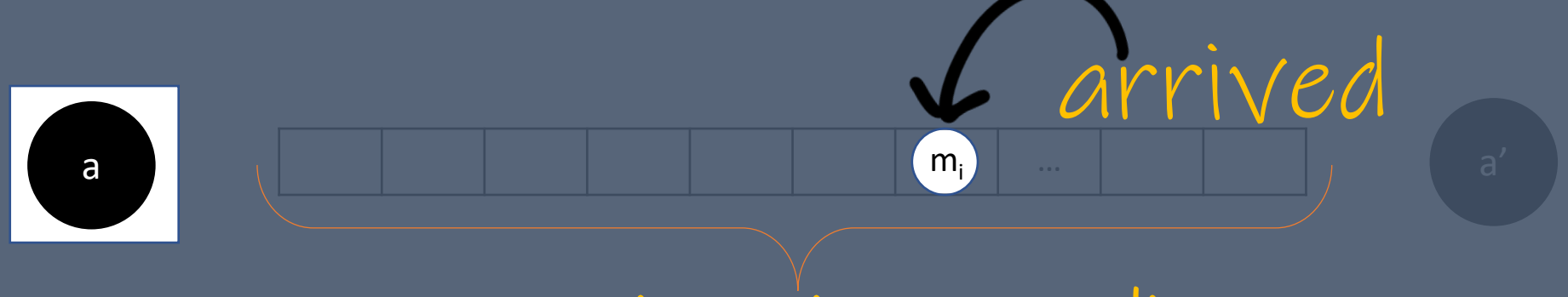


... looks like a single system.



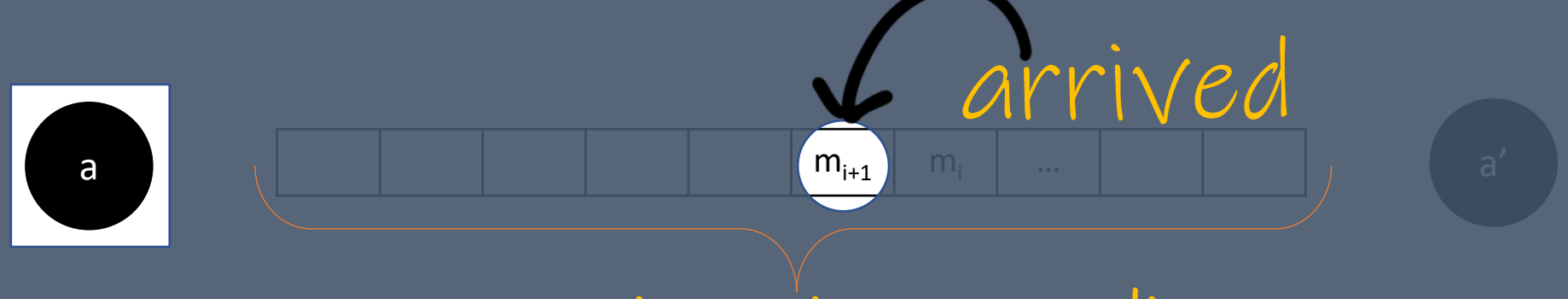
Nodes talk to one another.

➔ Message-Passing



- Node a keeps sending

  ➔ ..., m_i, m_{i+1}, m_{i+2}, ... keep adding to the communication medium



- Node a keeps sending

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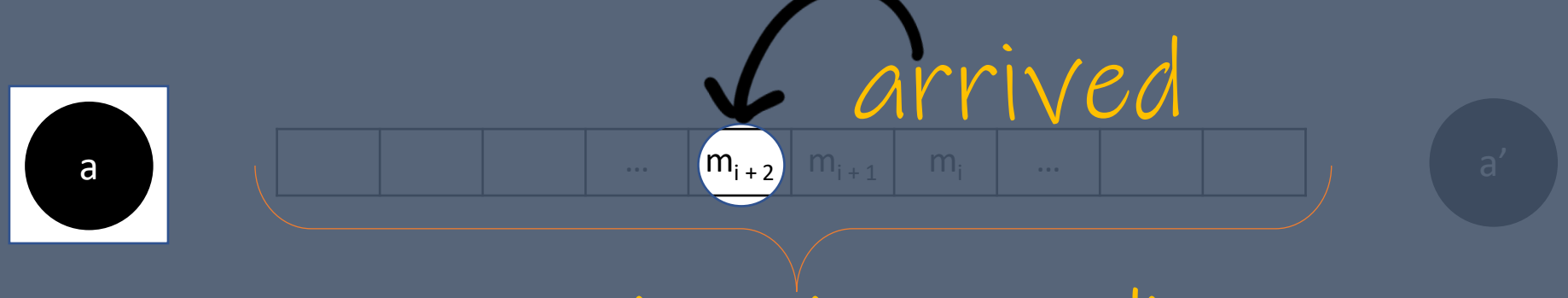
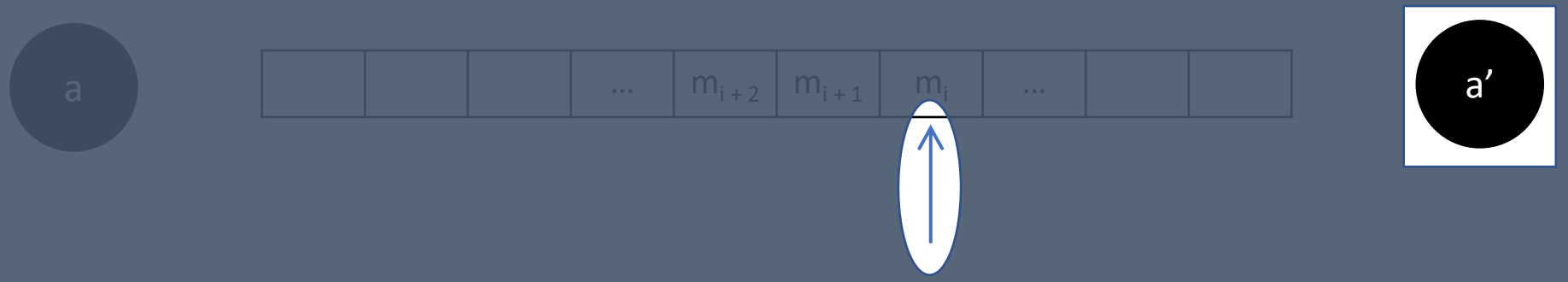


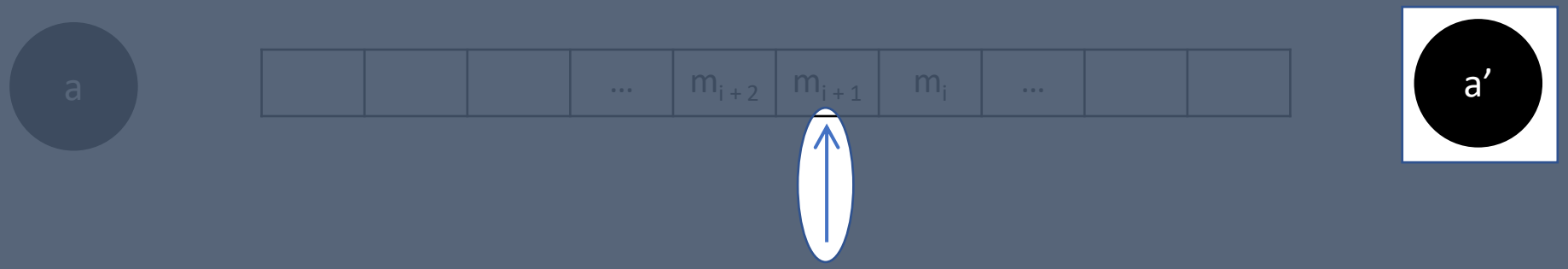
- Node a keeps sending

  ➔ ..., m_i, m_{i+1}, m_{i+2}, ... keep adding to the communication medium



reading indicator of a'

- Node a' keeps reading them
  ➔ Updating its indicator



reading indicator of a'

- Node a' keeps reading them
  ➔ Updating its indicator

- Common Judgment: "Change of State"
  ➔ Impurity
- Multiple Senders
- Asynchronous
- Order-Sensitivity:
  "Served in the (Causal) Order of Arrival"

What if the order is insignificant?

- Remote futures can be used.
- And, they are pure.
- λ(refut) Formal Model
  - Simple **let**-Notation for Remote Futures
  - Examples to Come

What is purity?

- Very Diverse Comprehensions
- Ours
  - Simply: Lack of Side-Effects + Determinism
  - More Formally: Pure Functional Programming
  - Formally: λ(refut) ~ Untyped λ-Calculus

Example

Master-Worker Scenario

Master distributes tasks amongst workers.

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x_1 = (g ())^{w_1}
    .
    .
    .
    x_n = (g ())^{w_n}
  in any(x_1, …, x_n)
  f() = { … }
```

A Piece of λ(refut) Code (Our Formal Model)

Side Note:
refut in λ(refut) is fo
remote futures.

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
      x_1 = (g ())^{w_1}
      .
      .
      .
      x_n = (g ())^{w_n}
    in any(x_1, …, x_n)
  f() = { … }
```

Running Part

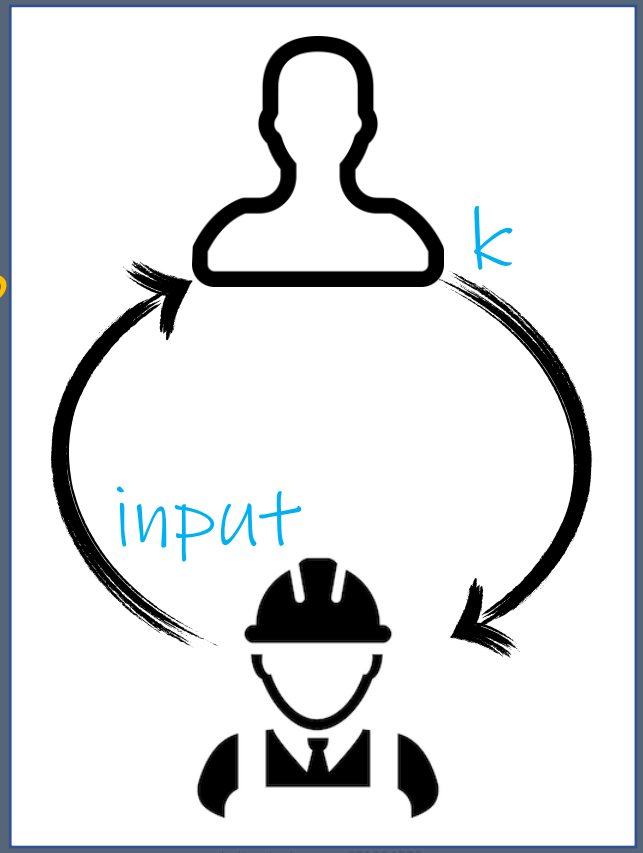
Definitions

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x_1 = (g ())^{w_1}
    .
    .
    .
    x_n = (g ())^{w_n}
  in any(x_1, …, x_n)
  f() = { … }
```

Running on "m" (The Master Node)

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x_1 = (g ())^{w_1}
    .
    .
    .
    x_n = (g ())^{w_n}
  in any(x_1, …, x_n)
  f() = { … }
```

The master inputs "k" (#workers) from the user.



```
(let k = input in distribute f k)ᵐ
where
  distribute(g, n) = let
    x₁ = (g ())ʷ¹
    .
    .
    .
    xₙ = (g ())ʷⁿ
  in any(x₁, …, xₙ)
  f() = { … }
```

```
g ()
  …
  …
  …
g ()
```

The master invokes k different copies of "f" (in parallel)…

f f f … f

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x1 = (g ())
    .
    .
    .
    xn = (g ())
  in any(x1, …, xn)
  f() = { … }
```

… on k different workers.

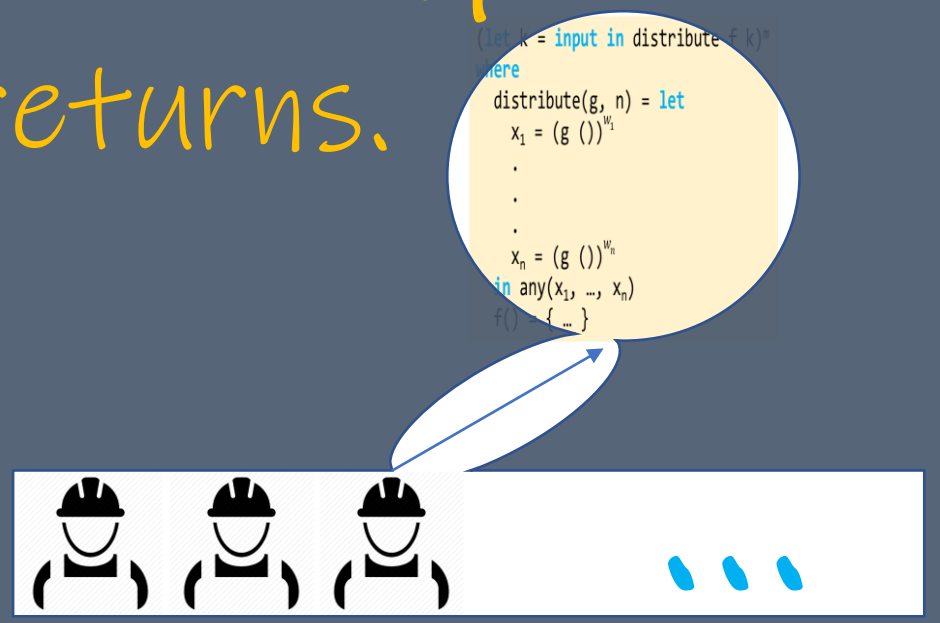
k

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x_1 = (g ())^{w_1}
     .
     .
     .
    x_n = (g ())^{w_n}
  in any(x_1, …, x_n)
  f() = { … }
```

The master keeps references to those invocations…

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x1 = (g ())^w1
     .
     .
     .
    xn = (g ())^wn
  in any(x1, …, xn)
  f() = { … }
```

… and, returns the result as soon as **any** of those returns.



λ(refut) Observations:

1. Remote Calls (Simple Notation)

```
(let k = input in distribute(f, k))ᵐ
where
  distribute(g, n) = let
    x₁ = (g ())^w1
    .    …
    .    …
    .    …
    xₙ = (g ())^wn
  in any(x₁, …, xₙ)
  f() = { … }
```

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x_1 = (g ())^{w_1}
    .
    .
    .
    x_n = (g ())^{w_n}
  in any(x_1, …, x_n)
  f() = { … }
```

λ(refut) Observations:

1. Remote Calls (Simple Notation)
2. Remote Futures (Familiar **let**-bindings)

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x_1 = (g ())^{w_1}
    .
    .
    .
    x_n = (g ())^{w_n}
  in any(x_1, …, x_n)
  f() = { … }
```

1. Input/Output
   Have fun w/ your IO monad!

2. Nondeterminism
   Have fun w/ your favourite effect system!

Side-Effects

```
(let k = input in distribute f k)^m
where
  distribute(g, n) = let
    x_1 = (g ())^{w_1}
    .
    .
    .
    x_n = (g ())^{w_n}
  in any(x_1, …, x_n)
  f() = { … }
```

Take-Home Lesson:

- Message-Passing **Pure**!
- Order of Message Processing Insignificant

➔ Order-Insensitivity

More in the paper:

- Earlier Version Online:

  http://hdl.handle.net/2078.1/229005

- More Examples of Order-Insensitive Message Passing
- Formal Syntax and (Reduction) Semantics of λ(refut)